Computer Code Abstract

ESN

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- 1. Program Identification: ESN is a one-dimensional (plane, cylinder, sphere), Lagrangian, time-dependent electron S_n transport code with electromagnetic fields.¹
- 2. Function: ESN describes the transport of electrons in arbitrary moving materials in the multigroup picture.² Sources of any functional form are admissible. Scattering and slowing down are treated in the Fokker-Planck representation.³ Energy transfers are allowed between adjacent groups. Electromagnetic fields enter the equations through E and $v \times B$ terms and are treated as effective collisional sources.¹ Cross sections are generated internally by the module. Output consists of leakages, angular and scalar fluxes, and energy deposition in the material.
- 3. Method of Solution: The ESN code solves the electron multigroup discrete ordinates transport equations by means of an exponential spatial differencing scheme based on inversion of the homogeneous transport equation.⁴ The diamond approximation is employed in the angular domain with Gauss quadrature sets.¹ Time differencing is implicit. Electric fields can effectively upscatter and downscatter particles in energy and also redistribute particle directions; magnetic fields merely redistribute particle directions.⁵ Acceleration schemes have not been implemented in ESN. For one-dimensional geometries, a single transport equation is solved using specific sets of angular coefficients appropriate to plane, cylindrical, or spherical geometries. A Fokker-Planck collision operator, geared to highly anisotropic forward scattering, is used in a twoterm differential expansion⁵ and appropriate transport cross sections are generated automatically by ESN. User sets can also be input. Standard inner and outer iteration schemes are also employed. Source-functional forms are user specified, as are boundary-angular fluxes.
- 4. Related Material: ESN is an outgrowth of a number of studies of efficient techniques for tracking electrons with S_n approaches.⁶⁻⁸ SNEX is a predecessor.⁹
- 5. Restrictions: The code is structured for in-core execution and requires no peripheral tape or disk resources. Dimension statements are controlled by a parameter list. Thus, the size and complexity of problems are limited by useravailable core storage. Core storage requirements scale directly as the product of the mesh size times number of energy groups times the angular quadrature (S_n order). From a physics modeling point of view, the code is best suited for electrons in the hundreds of kiloelectron volt range where bremsstrahlung is not important and where

the Fokker-Planck collision operator is not strained by relativistic scattering corrections. Bremsstrahlung production is not treated in the present version, nor are atomic processes.

- 6. Computer: Cray-1 or CDC-7600.
- 7. Running Time: An S_8 , 25-group electron transport calculation over 100 mesh cells for a monoenergetic 500-keV boundary source requires ~20 s of Cray-1 time and 1 min of CDC-7600 time.
- 8. Programming Languages: The ESN code is written in Fortran-IV. Efforts were made to code in machine- and installation-independent format.
- 9. Operating System: The Cray-1 version of ESN operates under the CTSS system with CFT compiler. The CDC-7600 version runs under the LTSS operating system with FTN compiler. The code is exportable, however.
- 10. Machine Requirements: Two input-output files are required. A typical 25-group S_8 calculation with 100 spatial mesh points requires 52 000 octal words of SCM and 248 000 octal words of LCM on the CDC-7600. The whole problem is contained in fast core memory on the Cray-1.
- 11. Material Available: Source deck, test problem results, and documentation are available at this time from the author.¹
- 12. Acknowledgment: This work was supported by the U.S. Department of Energy.
- 13. References:

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